Source Location for the CTBTO-WMO Exercise 2008

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Outline

Guiding questions:

- What can we learn from the new, rather different exercise 2008 compared to 2005?
- Can we see effects from using higher resolution in meteorological input data for otherwise identical atmospheric transport simulations? (Answer: in this exercise we could not learn very much)



Background

ATM at CTBTO, WMO cooperation, NDCs

- CTBTO/IDC calculates source-receptor sensitivites (SRS) for their measurements of airborne radionuclide
- in the case of an important event, WMO-designated RSMCs and NMCs also calculate SRS and upload them to IDC
- IDC provides certain evaluations including a source location estimate based on correlation coefficients from IDC calculations and WMO ensemble means
- National CTBTO Data Centres (NDCs) may also do such evaluations
- NDC Preparedness Exercise 2008 used a seismic event to trigger a test of the ATM chain
 - Pseudo-observations were generated by a forward run
 - source time and location taken from the earthquake location
 - with FLEXPART v5, 1°-resolution ECMWF input wind fields, sampling kernel for stations

Our role and interest

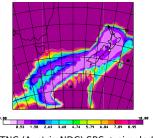
- ZAMG (Geophysics) is main NDC institution in Austria
- ZAMG (Environmental Meteorology) is RSMC for backtracking
- BOKU-Met is affiliated with NDC Austria and working on ATM and related source location methods
- BOKU-Met and ZAMG Environmental Meteorology cooperate on backtracking
 - For the NPE 2008, backtracking with 0.5° input was tested in addition to the routine 1.0°
 - Flexpart v6.2 was used with ECMWF input data (IDC at that time still Flexpart v5)

Our source location method

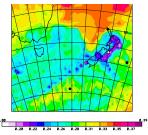
- developed for 2005 CTBTO-WMO exercise
- based on method developed by Seibert (2000) for ETEX
- minimises a cost function by checking all possible release locations and times

Background

- cost function $J = \sum_{nobs} (\mathbf{M}x y_{obs})^2 / \sigma_{obs}^2$ where σ_{obs}^2 is set to a fixed value, e.g. $(1 \text{ mBq m}^{-3})^2$
- can use a cost function with weighting by error variances (optionally also covariances) derived from ensemble ATM
- in 2005, lead to a tremendous improvement in the source location, both accuracy and stability
- Presently, release duration prescribed (NPE08: 24 h). Inversion demonstrated for ETEX.



ATNC (Austria NDC) SRS + simple J



including error variances and covariances

The exercise 2008

NPE 2008 key features compared with 2005

	2005	2008
Region	New Zealand	South American Andes
Flow type	mainly well-defined westerlies	partly weak winds, convergence over Andes
Source environment	ocean, near NZ	in the mountains
Source duration	δ -shape (3 h)	24 h
No. of detections	20 at 4 stations	5 at 1 station
No. of zeros used	29 at 13 stations	20 at 3 stations

Forward modelling

Movie produced by IDC

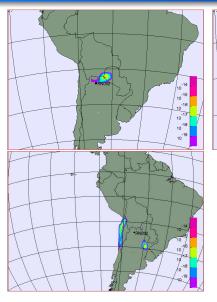
Release time: Oct 2008, 27/09-28/09

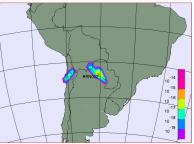
>>> Start movie

Source-receptor relationship. Measurement RN002 20091029 00

Model: AMMC

Timesteps : 0..-24 h / -24..-48 h /-48..-72 h

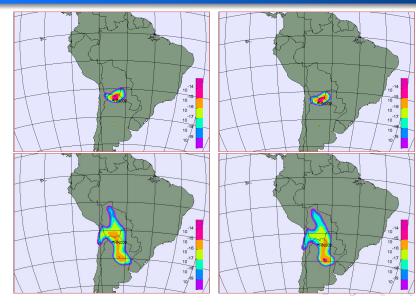




Source-receptor relationship. Measurement RN002 20091029 00

Models: ATNC | ATND

Timesteps: -0..-24 h / -24..-48 h /-48..-72 h

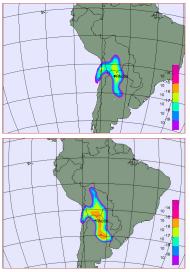


Source-receptor relationship. Measurement RN002 20091029 00

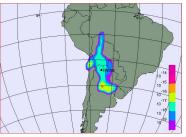
Models: CTBTE / CTBTN

Timestep: -48..-72 h

ECMWF wind



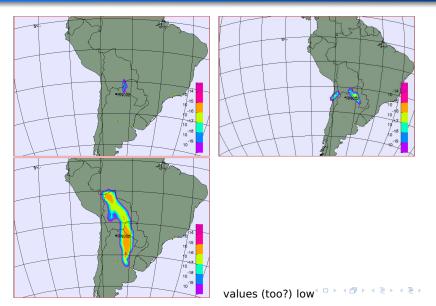
NCEP winds



<< ATNC

Source-receptor relationship. Measurement RN002 20091029 00

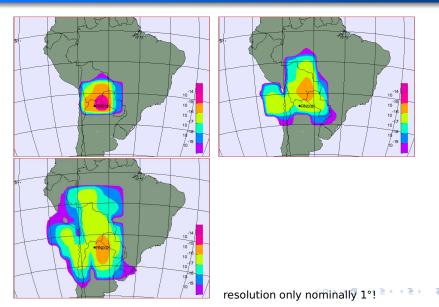
Model: BABJ Timestep: -0..-24 h/ -24..-48 h /-48..-72 h



Source-receptor relationship. Measurement RN002 20091029 00

Model: RTHO

Timestep: -0..-24 h / -24..-48 h /-48..-72 h

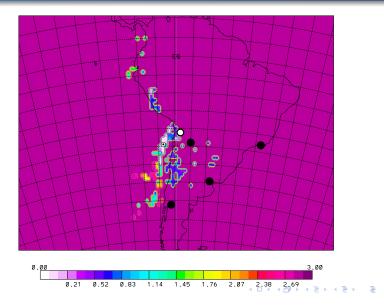


Overview results

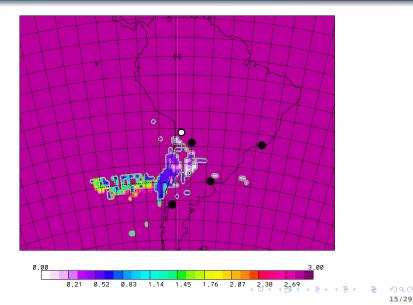
MOD COST TRUE	DATE 20081027	HR 09	SOURCE	DIST 0	
AMMC 0.002 ATNC 0.033 MEFR 0.042 BABJ 0.069 CTBE 0.077 CTBN 0.079 CWAO 0.126 ATND 0.135 RUOB 0.231 EGRR 0.232 RTHO 0.384	20081025 20081026 20081023 20081024 20081020 20081020 20081022 20081022 20081023 20081026	21 18 21 06 06 21 03 00	0.357 0.074 920. 2.1 435. 0.058 0.796	1246	unweighted RMSE minimisation
AMMC 0.003 ATNC 0.021 MEFR 0.042 CTBE 0.065 ATND 0.082 CWA0 0.084 EGRR 0.159 CTBN 0.167 BABJ 0.200 RTH0 0.232 RUOB 0.442	20081026 20081026 20081024 20081024 20081025 20081025 20081025 20081026 20081024 20081027	03 18 21 21 21 00 06 12 00	0.220 0.144 0.071 2.063 0.249 0.138 2.259 0.606 0.725 0.162 80.41	582 1275 1257 511 1437 929 1020 1007 1052 457 1246	with a priori source and error variances

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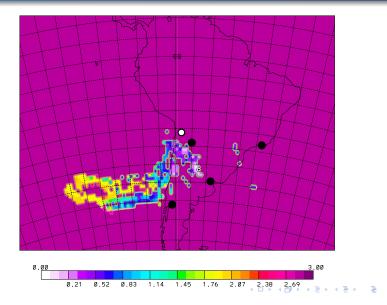
Cost function $J_n(i, j) = Min_{(\forall n)} \{J(i, j, n)\}$ (*n* . . . source times) Model: **AMMC** Cost $Min_{(\forall i, j)} \{J_n(i, j)\}=0.002$ Source x=0.248 PBq



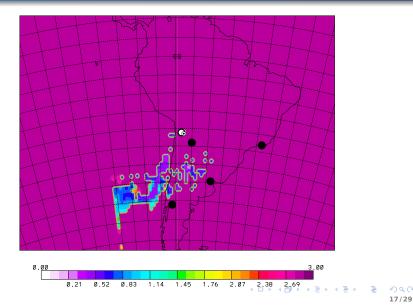
Cost function $J_n(i, j) = Min_{(\forall n)} \{ J(i, j, n) \}$ (*n* . . . source times) Model: **ATNC** Cost $Min_{(\forall i, j)} \{ J_n(i, j) \} = 0.033$ Source x = 0.357 PBq



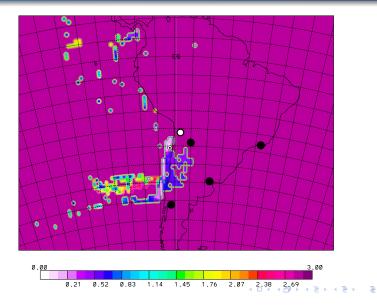
Cost function $J_n(i, j) = Min(\forall n) \{J(i, j, n)\}$ (*n* . . . source times) Model: **MEFR** Cost $Min(\forall i, j) \{J_n(i, j)\} = 0.042$ Source x = 0.074 PBq



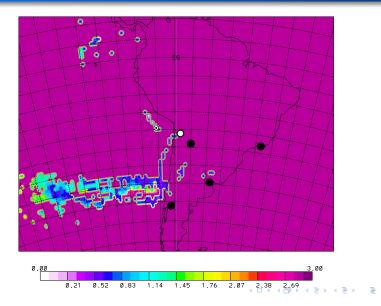
Cost function $J_n(i, j) = Min(\forall n) \{J(i, j, n)\}$ (*n*...source times) Model: **BABJ** Cost $Min_{(\forall i, j)} \{J_n(i, j)\} = 0.069$ Source x = 920 PBq



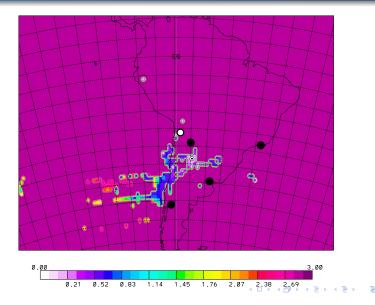
Cost function $J_n(i, j) = Min(\forall n) \{J(i, j, n)\}$ (*n* . . . source times) Model: **CTBE** Cost $Min(\forall i, j) \{J_n(i, j)\}=0.077$ Source x=2.116 PBq !



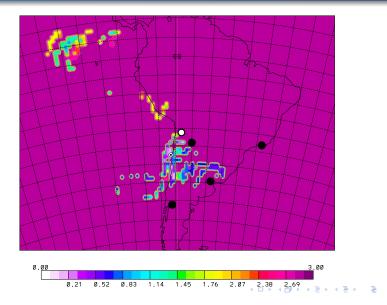
Cost function $J_n(i, j) = Min_{(\forall n)} \{J(i, j, n)\}$ (*n* . . . source times) Model: **CTBN** Cost $Min_{(\forall i, j)} \{J_n(i, j)\} = 0.079$ Source x = 435 PBq



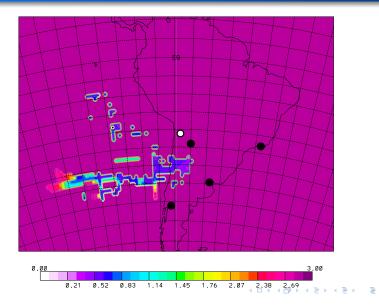
Cost function $J_n(i, j) = Min_{(\forall n)} \{J(i, j, n)\}$ (*n* . . . source times) Model: **CWAO** Cost $Min_{(\forall i, j)} \{J_n(i, j)\} = 0.126$ Source x = 0.058 PBq



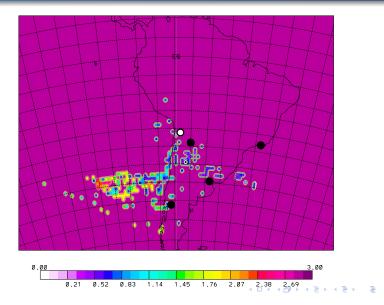
Cost function $J_n(i, j) = Min(\forall n) \{J(i, j, n)\}$ (*n*...source times) Model: **ATND** Cost $Min(\forall i, j) \{J_n(i, j)\}=0.135$ Source x=0.796 PBq



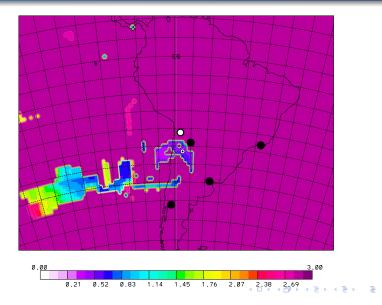
Cost function $J_n(i, j) = Min(\forall n) \{J(i, j, n)\}$ (*n* . . . source times) Model: **RUOB** Cost $Min_{(\forall i, j)} \{J_n(i, j)\} = 0.231$ Source x = 1.7E8 PBq !!



Cost function $J_n(i, j) = Min(\forall n) \{J(i, j, n)\}$ (*n*...source times) Model: **EGRR** Cost $Min(\forall i, j) \{J_n(i, j)\} = 0.232$ Source x = 0.937 PBq



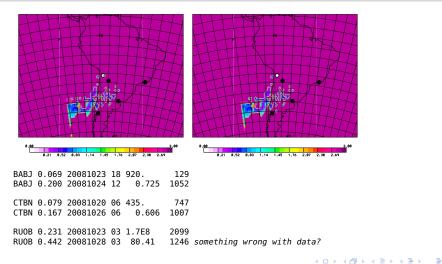
Cost function $J_n(i, j) = Min(\forall n) \{J(i, j, n)\}$ (*n* . . . source times) Model: **RTHO** Cost $Min(\forall i, j) \{J_n(i, j)\} = 0.384$ Source x = 0.197 PBq



First resume

- Source not well constrained
- Ill-conditioned problem (spotty and some extremly high source values)
- Including ATM-ensemble-derived error variances helps not much because of the underdetermined nature of the problem (errors are small anyway)
- Idea: at least constrain source magnitude to a reasonable value
- Method: add a term $(x x^a)^2 / \sigma_x^2$ x^a a priori source estimate set to 1 PBq, σ_x to 0.2 PBq (also tried much larger σ_x , still quite useful)
- Result:
 - Reasonable solutions not affected
 - unreasonable solutions become (more) reasonable

Cost function $J_n(i, j) = Min_{(\forall n)} \{J(i, j, n)\}$ (*n* . . . source times) Model: **BABJ** Cost $Min_{(\forall i, j)} \{J_n(i, j)\} = 0.069 | 0.200$ Source x = 920 | 0.72 PBq



Conclusions I

What do we see in NPE 08?

- Source location results are not good
- Results scatter widely between ATM systems
- The value of increased resolution in meteorological input cannot be assessed with this kind of test.

Why?

- Meteorological situation was complicated
- Receptor kernel of forward modelling system may have introduced non-reversible features
- The detections, but also the set of measurements used in the "event definition" is not constraining the solution well enough.

Conclusions II

What can we learn for future exercises?

- Until now we have assumed that we know the duration of the release and its temporal variation (here: constant). In reality, this would also needed to be determined by the inversion. Some a priori idea of possible shapes and durations are needed, though.
- To avoid unjustified bias towards ATM systems similar to the forward modelling system, this should be designed to be as realistic as possible
 - highest resolution input and output fields
 - on't use recepter kernel
 - very high particle number
 - short time steps ("slow mode") of FLEXPART
 - maybe two runs (EC and NCEP) and use a mixed result?
- Work with real releases and measurements.

Ideas:

- artifical tracer releases by new DLR system.
- Volcanos (see our new SAVAA project requires however different setup of backtracking models.).

Conclusions III

What can we learn for real events (and of course exercises)?

- In not-well-defined cases, it could be valuable to provide and use a first-guess of the source term magnitude along with an appropriate uncertainty range to exclude unrealistic solutions
- Include sufficently large and useful selection of measurements (including non-detections) in the event. At least one should include the zero measurement immediately prior to the first detection in the event definition.
- Prescribing possible release times (data fusion in CTBT jargon) will be useful.
- Some screening of the ATM ensemble members may be necessary, criteria to be developed.
- The present IDC operational method of defining a *potential source region* using correlation coefficients may be appealing as easy to grasp, but using a more general cost function is the key to many of the possible improvements.